## **ISTANBUL ANALYSIS SEMINARS**

## **REFLEXIVITY AND HYPERREFLEXIVITY OF BOUNDED** *n*-COCYCLE SPACES AND APPLICATION TO CONVOLUTION OPERATORS

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Abstract: We introduced the concept of strong property  $\mathbb{B}$  with a constant for Banach algebras and, by applying certain analysis on the Fourier algebra of a unit circle, we show that all  $C^*$ -algebras and group algebras have the strong property  $\mathbb{B}$  with a constant given by  $288\pi(1+\sqrt{2})$ . We then use this result to find a concrete upper bound for the hyperreflexivity constant of certain spaces of bounded *n*-cocycles from A into X, where A is a C\*-algebra or the group algebra of a group with an open subgroup of polynomial growth and X is a Banach A-bimodule. As another application, we show that for a locally compact amenable group G and  $1 , the space <math>CV_p(G)$  of convolution operators on  $L^p(G)$  are hyperreflexive with a constant given by  $288\pi(1+\sqrt{2})$ . This is the generalization of a well-known result of E. Christiensen for p = 2.

This is a joint work with Jafar Soltani Farsani.

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